



# Equilibrium interactions between freeze lining and slag in ilmenite smelting

by P.C. Pistorius\*

## Synopsis

In ilmenite smelting, the FeO content of the feed material (nominally FeO.TiO<sub>2</sub>) is decreased by reduction with carbon. In a parallel reaction, a significant amount of the TiO<sub>2</sub> is reduced to Ti<sub>2</sub>O<sub>3</sub>. One of the striking features of these reactions is a consistent relationship between the extents of FeO and TiO<sub>2</sub> reduction; this relationship is independent of furnace size. It was recently proposed that this relationship follows from the solidification behaviour of the slag, where the final slag composition corresponds to the minimum melting point ('eutectic groove') in the FeO-TiO<sub>2</sub>-Ti<sub>2</sub>O<sub>3</sub> phase system; the hypothesis is that solidification equilibrium with the freeze lining stabilizes the slag composition. If this is the case, the system of slag and freeze lining must be capable of correcting two types of disturbances: thermal and compositional. Thermal disturbances result from incorrect power input, for the feed rates of ilmenite and reductant. For example, excessive power input will tend to overheat the slag, causing the freeze lining to melt partially, establishing a new steady-state heat loss from the furnace. Compositional disturbances result from an incorrect reductant input for the given power and ilmenite input. In this work, the dynamic response of the slag and freeze lining to different inputs (flow rates of ilmenite and reductant, and power input) is modelled. The model is based on solidification equilibria, and quantified heat loss through the freeze lining. The conclusion is that the solidification equilibrium cannot constrain the composition to the eutectic groove for typical operating conditions.

**Keywords:** ilmenite smelting, freeze lining, solidification, high-titanium slag

## Background

Ilmenite smelting is one of the methods to upgrade the iron-titanium oxide mineral ilmenite to a high-titanium feedstock for rutile pigment manufacture. The product of ilmenite smelting is a high-titanium slag, which typically contains around 9% FeO, 50% TiO<sub>2</sub>, and 35% Ti<sub>2</sub>O<sub>3</sub>, with the balance being other impurity oxides. This slag is corrosive to refractory materials, and hence a layer of solidified slag is used as a 'freeze lining' on the furnace sidewalls.

The freeze lining hence plays an essential role in protecting the furnace lining. It has recently been suggested that the interplay between the solidified freeze lining and the

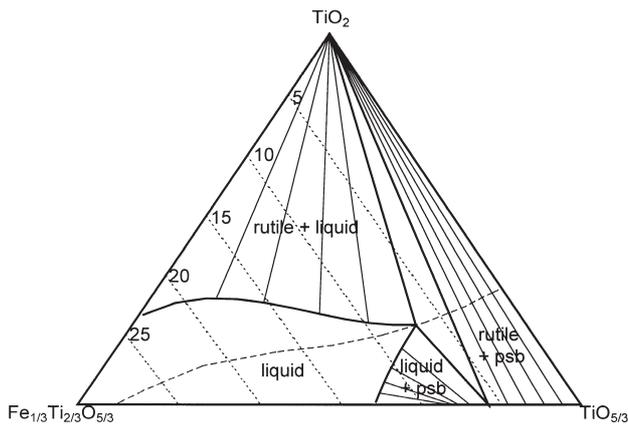
liquid slag also affects the composition of the liquid slag<sup>1</sup>: a line of minimum melting points (a 'eutectic groove') was found to separate the primary phase fields of rutile (TiO<sub>2</sub>) and pseudobrookite (M<sub>3</sub>O<sub>5</sub>, a solid-solution phase, which is a combination of FeTi<sub>2</sub>O<sub>5</sub> and Ti<sub>3</sub>O<sub>5</sub> in the three-component system FeO-TiO<sub>2</sub>-Ti<sub>2</sub>O<sub>3</sub>). It was suggested that the solidification equilibrium forces the liquid slag composition to lie along the eutectic groove. This suggestion offers a possible explanation for the remarkable constancy of the phase composition of solidified titania slag (this constancy is that solidified slag consists mainly of M<sub>3</sub>O<sub>5</sub> and a few per cent of rutile<sup>2</sup>, with the minor components SiO<sub>2</sub> and CaO in separate phases; the dominance of the M<sub>3</sub>O<sub>5</sub> phase persists over a wide range of FeO contents). As Figure 1 indicates, the eutectic groove lies between the M<sub>3</sub>O<sub>5</sub> and rutile compositions, which means that slags with compositions along the groove solidify as a mixture of M<sub>3</sub>O<sub>5</sub> and rutile. (The predicted phase diagram does indicate a larger fraction of rutile in solidified slags than found in practice – for example, a slag with 10% FeO [mass basis] and which lies on the eutectic groove is predicted to contain 18% rutile after solidification, about three times the actual amount.)

In the work presented here, the suggestion—that interaction with the freeze lining serves to stabilize the slag composition along the eutectic groove—is tested by using solidification equilibrium data (ternary phase diagrams for the FeO-TiO<sub>2</sub>-Ti<sub>2</sub>O<sub>3</sub> system), and a simple heat transfer model. This model was used to test the sensitivity of the slag composition to thermal and compositional perturbations.

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© The South African Institute of Mining and Metallurgy, 2004. SA ISSN 0038-223X/3.00 + 0.00. The paper was presented at the SAIMM Symposium: Molten Slags Fluxes & Salts, 25-28 Jan. 2004.

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**Figure 1**— Isothermal section through part of the  $\text{TiO}_2$ - $\text{FeO}$ - $\text{Ti}_2\text{O}_3$  system, at 1875 K. The base of the diagram represents the  $\text{M}_3\text{O}_5$  solid solutions, between ferrous pseudobrookite (here shown as  $\text{Fe}_{1/3}\text{Ti}_{2/3}\text{O}_{5/3}$ ) and anosovite (shown as  $\text{TiO}_{5/3}$ ). Diagonal broken lines indicate compositions of constant FeO content, on a mass basis, of respectively 5, 10, 15, 20 and 25%. Some tie lines are shown in the dual-phase regions. The curved broken line from lower left to right is the 'eutectic groove' which separates the rutile and pseudobrookite primary phase fields. Diagram is calculated on the basis of curve-fits to equilibrium data taken from FACTSage

In the following section, the relevant equilibrium data are summarized first; the model description and model results then follow.

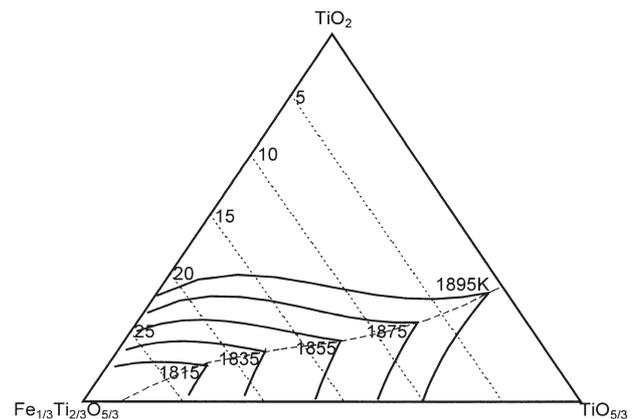
## Equilibrium data

### Calculation procedure

The phase diagram data were calculated by using the FACTSage<sup>3</sup> software, using the quasichemical model for the liquid slag and near-ideal solid solution in  $\text{M}_3\text{O}_5$  as described before<sup>4</sup>, and considering rutile as pure  $\text{TiO}_2$  (i.e. neglecting the small solubility of  $\text{Ti}_2\text{O}_3$  in rutile). Magnéli phases were also not considered, for the reason that solidified slag has not been found to contain these phases (although thermodynamic calculations indicate that they should form). Compositions lying between  $\text{M}_3\text{O}_5$  and  $\text{TiO}_2$  were considered, since this is the range of actual tap compositions. In the phase diagrams shown in Figure 1 and later figures, the end species are taken as  $\text{TiO}_2$  (rutile),  $\text{Fe}_{1/3}\text{Ti}_{2/3}\text{O}_{5/3}$  (ferrous pseudobrookite, normally written as  $\text{FeTi}_2\text{O}_5$ , but shown here as the species containing 1 cation per formula unit), and  $\text{TiO}_{5/3}$  (anosovite, normally written as  $\text{Ti}_3\text{O}_5$ ). (For the single-cation forms of the end species chosen here, mole fractions are nearly equal to mass percentages.)

For speed of calculation in the heat transfer model, the phase equilibrium data generated with FACTSage were represented by a series of polynomial expressions, which describe the shapes of the liquid/(rutile + liquid) phase boundary and the liquid/(pseudobrookite + liquid) phase boundary, and the dependence of the slopes of the pseudobrookite-liquid tie lines on pseudobrookite composition. Different polynomials were fitted to phase boundaries for temperatures from 1815K to 1895K, at intervals of 10K; as Figure 2 indicates, the range from 1815K to 1895K spans the liquidus temperatures of slags which lie along the eutectic groove, with FeO contents ranging from as little as 1.5% to 22%.

With these data on phase equilibria, a program was written (in Visual Basic) to calculate the equilibrium phase composition (amounts of phases, and composition of each phase, at a given temperature and overall composition), for slags in the  $\text{TiO}_2$ - $\text{Fe}_{1/3}\text{Ti}_{2/3}\text{O}_{5/3}$ - $\text{TiO}_{5/3}$  system. The enthalpy of the phase mixture was found by assuming the  $\text{Fe}_{1/3}\text{Ti}_{2/3}\text{O}_{5/3}$ - $\text{TiO}_{5/3}$  (pseudobrookite) solid solution to be ideal, and using heats of solution for the liquid slag as deduced from the quasichemical model. Simplified expressions were fitted to the enthalpy data; these expressions are listed in Tables I and II.



**Figure 2**— Extent of fully liquid region in the  $\text{TiO}_2$ - $\text{Fe}_{1/3}\text{Ti}_{2/3}\text{O}_{5/3}$ - $\text{TiO}_{5/3}$  system, for temperatures from 1815K to 1895K. Diagonal broken lines indicate compositions of constant FeO content, on a mass basis, of respectively 5, 10, 15, 20 and 25%. The curved broken line from lower left to right is the 'eutectic groove' which separates the rutile and pseudobrookite primary phase fields. Diagram calculated on the basis of curve-fits to equilibrium data taken from FACTSage

Table I

**Coefficients in enthalpy expressions used in energy balance equations; expressions are of the form  $H^\circ = a + bT + cT^2$ , where  $T$  is the temperature in kelvin, and  $H^\circ$  is the standard enthalpy in J/mol**

Species	a	b	c
$\text{TiO}_2$	- 966 532	67.85	0.002844
$\text{Ti}_3\text{O}_5$	- 2 495 862	159.0	0.02511
$\text{FeTi}_2\text{O}_5$	- 2 212 171	184.1	0.01140

Table II

**Enthalpy expression for liquid slag. Expression is of the form  $H_{slag} = \sum d_i X_i + e(T - 2023)$ , where  $X_i$  is the mole fraction of each species in the slag (here taken to be  $\text{FeO}$ ,  $\text{TiO}_{1.5}$  and  $\text{TiO}_2$ ),  $d_i$  is the coefficient for each species,  $e$  is the heat capacity,  $T$  is the temperature in kelvin, and  $H_{slag}$  is the slag enthalpy in kJ/g-atom**

Constant	$d_{\text{TiO}_{1.5}}$	$d_{\text{FeO}}$	$d_{\text{TiO}_2}$	e
Value	-236.3	-106.8	-257	0.0275
Units	kJ/g-atom	kJ/g-atom	kJ/g-atom	kJ/g-atom.K

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## Solidification behaviour: heat of solidification and solidification range

Two prominent features of solidification in this system are worth emphasizing; these features have strong effects on the freeze lining behaviour. These two features are the narrow solidification range, and the large heat of solidification compared with the heat capacity of the liquid and solid phases; both features are illustrated by Figure 3 (a) and (b). This figure plots the calculated enthalpy of three mixtures which contain 10% FeO by mass, but which lie at different locations relative to the eutectic groove – to give respectively rutile, pseudobrookite, and a combination of both, as primary phases. Note that the enthalpy values are given in joule per g-atom<sup>5</sup>, where ‘g-atom’ indicates the number of moles of atoms (Fe, Ti and O) in the mixture. The large vertical steps in the enthalpy plots, in the range 1840–1890K, indicate the solid-liquid transition. In each case, the transition occurs over a narrow temperature interval of – at most – 30K. The heat of solidification is more than 17 kJ/g-atom in all three cases. Comparison with the heat capacity of the molten slag of 0.0275 kJ/g-atom (see Table II) reveals that solidification causes as large an enthalpy change as would a temperature change, in the case of fully liquid slag, of more than 600 K.

## Heat transfer and energy balance model

An approximate one-dimensional pseudo-steady-state heat transfer calculation was used here; its main features are illustrated by Figure 4. The rate of heat transfer through the furnace lining was calculated from the series resistances through the freeze lining and the furnace wall. In both cases, the resistance is calculated from the following relationship<sup>6</sup>:

$$R_{conduction} = \left[ \ln(r_{outer} / r_{inner}) \right] / (2\pi kh) \quad [1]$$

where  $r_{outer}$  and  $r_{inner}$  are the radii at the outside and inside of the conductor,  $k$  is its thermal conductivity, and  $h$  is the height of the conductor (which is the depth of the slag bath; see Figure 4). It was assumed that the resistances at the outside of the furnace lining (i.e. through the steel shell, and conduction to the cooling water) are negligible. The rate of heat loss through the furnace wall is hence given by:

$$q_{side} = (T_{slag} - T_{water}) / (R_{freeze} + R_{refractory}) \quad [2]$$

where  $T_{slag}$  is the temperature of the slag and freeze lining in the furnace,  $T_{water}$  is the temperature of the cooling water,  $R_{freeze}$  is the conduction resistance through the freeze lining, and  $R_{refractory}$  is the conduction resistance through the refractory.

Values of the constants used in this model are given in Table III. As these values show, the physical size of the modelled furnace corresponds to a pilot-scale furnace. This size of furnace was chosen for several reasons: the availability of data for this furnace<sup>7</sup>, the large wall contact area relative to slag volume (which will tend to emphasize any freeze lining effect), and the observation that the compositional relationships in these slags do not depend on furnace design<sup>2</sup> (i.e. any effect which controls the relationship between FeO and Ti<sub>2</sub>O<sub>3</sub> must also apply to the pilot-scale furnace).

Together with the conduction heat transfer calculation, the energy balance included the effects of feeding slag into

the slag bath, and of applying power (by arcing) to the bath. The slag fed to the bath was specified by its molar flow rate, its composition, and its temperature. In specifying the feed to

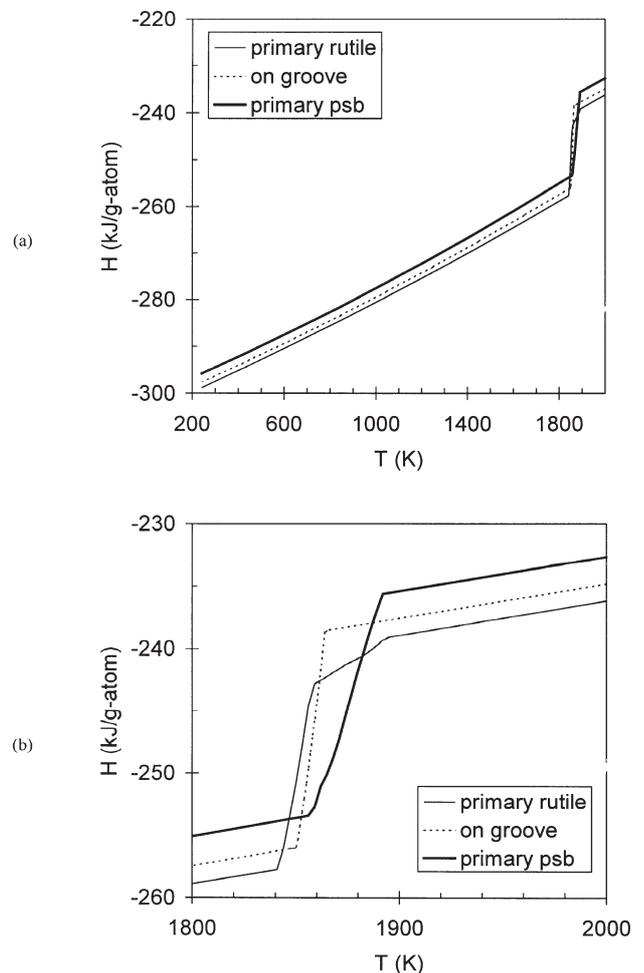


Figure 3—Change in enthalpy of mixtures containing an average of 10% FeO, for mixtures which, upon solidification, form respectively primary rutile (composition:  $X_{FeO} = 0.123$ ,  $X_{TiO_2} = 0.73$ ,  $X_{Ti_2O_3} = 0.147$ ), primary pseudobrookite ('psb' ( $X_{FeO} = 0.135$ ,  $X_{TiO_2} = 0.58$ ,  $X_{Ti_2O_3} = 0.285$ ), and both rutile and pseudobrookite simultaneously ('on groove') ( $X_{FeO} = 0.127$ ,  $X_{TiO_2} = 0.674$ ,  $X_{Ti_2O_3} = 0.199$ ). Results are shown over a wide temperature range (a), and in the vicinity of the liquidus and solidus temperatures (b)

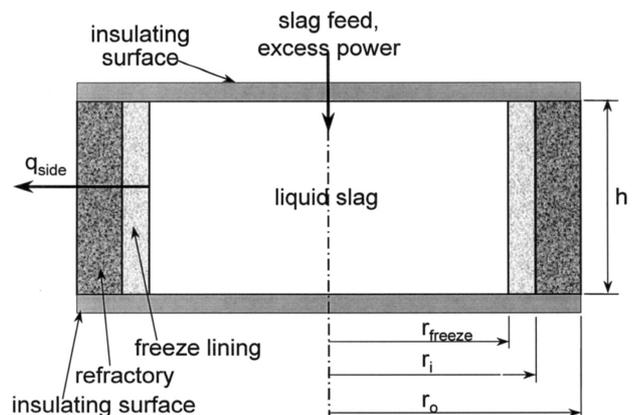


Figure 4—Schematic representation of the main features of the one-dimensional heat transfer model

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the bath as slag (rather than ilmenite and carbon) the details of the chemical reaction were not considered. The slag flow and current furnace contents were inputs to the mass balance: after each time interval, the amounts of FeO, TiO<sub>2</sub> and Ti<sub>2</sub>O<sub>3</sub> in the furnace were recalculated, from the amount which had been in the furnace at the start of the time interval, and the amount that entered in the slag feed during the interval. In performing this mass balance, no chemical reaction subsequent to the initial reduction of the ilmenite was assumed to take place (i.e. no redistribution of oxygen between iron and titanium was allowed). The energy balance was performed similarly, by finding the total enthalpy of the bath from the enthalpy of the slag bath at the start of each time interval, the enthalpy of the slag which was fed, heat lost through the furnace wall (Equation [2]), and power input from the arc. From the energy balance and mass balance, the molar enthalpy and average composition of the furnace at the end of the time interval was known. This was then used to find the furnace temperature from the calculated dependence of enthalpy on temperature for the specific composition (i.e. using data such as shown in Figure 3). A simple interpolation procedure was used to determine temperature from enthalpy.

From the new furnace temperature and slag composition, the fraction of solid material was calculated (with the phase diagram information); this was then used to find the new thickness of the freeze lining. In this calculation, it was assumed that the molar densities of the freeze lining and liquid slag are equal (with the value as given in Table III). The new depth of the slag bath was similarly found from the mass balance (the total number of moles of material, whether solid or liquid, in the furnace), the internal diameter of the furnace, and the molar density.

This simplified approach neglects many of the complexities which arise in actual furnaces. Here, the freeze lining is assumed to be in full equilibrium with the liquid slag, with the possibility to change its composition within one time step. In reality, at most limited diffusion will occur within the solid lining. Also, temperature differences within the liquid slag are neglected, as are two-dimensional heat transfer (to the furnace roof above, and the metal bath below), and the details of chemical reaction kinetics. Most of these effects are incorporated in a much more detailed model which is being developed. However, this simplified model already offers useful insights, as discussed below.

## Results and discussion

The results presented below refer to the pilot-scale furnace as

discussed earlier. For this furnace, the typical maximum power input into the bath (excluding heat losses to the roof) is some 1 MW, with an ilmenite feeding rate of up to 1 ton/h. This typically resulted in the bath depth increasing by 0.3 m over 5 hours (corresponding to a slag mass increase of approximately 3 tons).

For each slag production rate and slag composition, the required power and reductant inputs were calculated from a simple mass and energy balance. In this calculation, it was assumed that the slag, CO, and liquid iron (with 2% C in solution) are produced at the stated feed temperature of the slag. The enthalpy data as listed in Table II were used for the liquid slag, with other values taken from literature compilations<sup>8,9</sup>. The feed material was assumed to be stoichiometric ilmenite (FeTiO<sub>3</sub>) and pure carbon, at 298 K.

### Freeze lining stability

In furnaces of this type, accurate control of the mass and energy balance is crucial, because producing the slag requires a specific balance of reductant and power input<sup>10</sup>. Disturbing this balance can cause loss (melting) of the freeze lining, or solidification of the furnace contents. Hence supplying electrical power without feeding ilmenite and reductant is inherently dangerous. This is illustrated by Figure 5, which shows the effect on the freeze lining thickness of maintaining the power input at 1 MW (without any feed), when the bath is 0.5 m deep. This calculation is for a thick initial freeze lining, of 0.13 m (solids fraction 27% of furnace contents). Even with this thick lining, the lining is lost after 15 minutes of power input (beyond which time attack of the refractory lining will start). The effect of the heat of solidification to maintain the furnace temperature at a nearly constant value is also evident in Figure 5 (a); note the rapid heating once the freeze lining has been melted away completely. Note also the very low rate at which the freeze lining grows (and the furnace contents cool down) if no power is input (Figure 5 (b)). This emphasizes that, while the freeze lining can be melted away rapidly, regrowth of the lining is a much slower process. (Slightly faster solidification than that shown in Figure 5 (b) will be found in practice, because of additional heat loss to the furnace roof and metal bath.)

These effects can be understood in quantitative terms by noting that the heat of solidification of 17 kJ/g-atom is equivalent to 57 kJ/mol (where the slag species considered are FeO, TiO<sub>2</sub>, and Ti<sub>2</sub>O<sub>3</sub>), or 2.3 GJ/m<sup>3</sup>. With 27% of solids in the furnace, and a total bath depth of 0.5 m, the volume of solids is 0.34 m<sup>3</sup>, which requires some 776 MJ to melt. If the total 1 MW of power input goes towards melting the freeze lining, total melting is hence expected to take only 776 s. The actual time is about 15% longer than this, reflecting the comparatively small effect of heat losses through the furnace lining; with no freeze lining, the heat loss by conduction through the furnace wall (per unit depth of slag) is some 200 kW/m.

In contrast with this, if the freeze lining is 0.13 m thick, the rate of heat loss through the furnace wall is only some 48 kW/m, corresponding to a rate of solidification of the lining of some 15 mm/h.

Table III

#### Constants used in heat transfer model

Cooling water temperature (K)	303
Thermal conductivity of refractory (W/mK)	4.0
Thermal conductivity of freeze lining (W/mK)	1.0
Outer radius of refractory (m)	1.1
Inner radius of refractory (m)	0.9
Initial slag bath depth (m)	0.1
Molar density of slag and freeze (mol/m <sup>3</sup> ) (Species used are FeO, TiO <sub>2</sub> and Ti <sub>2</sub> O <sub>3</sub> )	4.0x10 <sup>4</sup>

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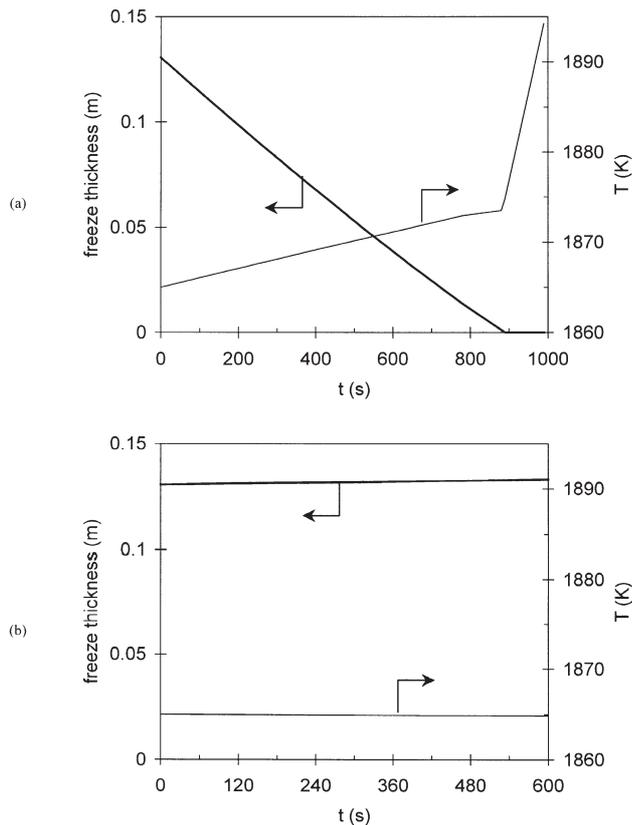


Figure 5—Calculated response of freeze lining thickness and furnace temperature, if no ilmenite is fed to the furnace. Furnace dimensions as given in Table III, and with slag depth (*h*) of 0.5 m, slag composition of  $X_{FeO} = 0.13$ ,  $X_{TiO_2} = 0.64$ ,  $X_{Ti_2O_3} = 0.23$ , and initial furnace temperature of 1 865 K. Calculated for a) 1 MW of power input to the slag, and b) zero power input

## Slag composition response to inputs

The suggestion which is tested here is that solidification equilibrium with the freeze lining forces the slag composition to lie along the eutectic groove. The suggestion was evaluated by varying the starting compositions, initial freeze lining thickness, slag feed, slag temperature, and excess power. Two representative sets of results are shown in Figures 6 and 7. In both cases, the furnace contained material with 10% FeO by mass, but in the case of Figure 6 the starting composition lay between  $M_3O_5$  and the eutectic groove, and for Figure 7 the starting composition was between the eutectic groove and rutile. In both cases, the starting temperature was selected to yield a liquid slag composition which was close to the eutectic groove; this liquid was in contact with a pseudobrookite freeze lining for the conditions of Figure 6, and with a rutile freeze lining for Figure 7. In both cases, the feed slag was chosen to contain 10% FeO, but with less  $TiO_2$  (and hence more  $Ti_2O_3$ ) than both starting compositions.

Two sets of results are shown for each combination, which are for different levels of excess power: zero, and 0.06 MW. The latter represents an excess of some 6%. While an apparently small percentage, this in fact is a large excess power, equivalent to superheating the liquid slag feed by nearly 400 K.

It is apparent from the results that the solidification equilibrium does not constrain the slag to the eutectic groove. In the first case (Figure 6), where both the starting and feed compositions lie between  $M_3O_5$  and the eutectic groove, the liquid slag composition changes away from the eutectic groove towards the feed composition; this happens whether the freeze lining remains at approximately the same thickness (case [i]), or is melted away as a result of the excess power (case [ii]).

Where the starting and feed slag compositions are on opposite sides of the eutectic groove (Figure 7), the liquid slag composition does follow the eutectic groove for some time, for the case of zero excess power (i.e. where the freeze lining is not melted away, case [i]). However, in this case and as before, the liquid slag composition eventually departs from the eutectic groove, and changes towards the feed composition.

The conclusion from these and several other simulations (not shown here because of space limitations) is that, in contrast with the suggestion that the freeze lining can affect slag composition, the influence works in the opposite direction: changes to the inputs into the slag bath (slag composition and power) have a direct effect on the freeze lining. This result emphasizes the importance of close control of the furnace inputs, to ensure stability.

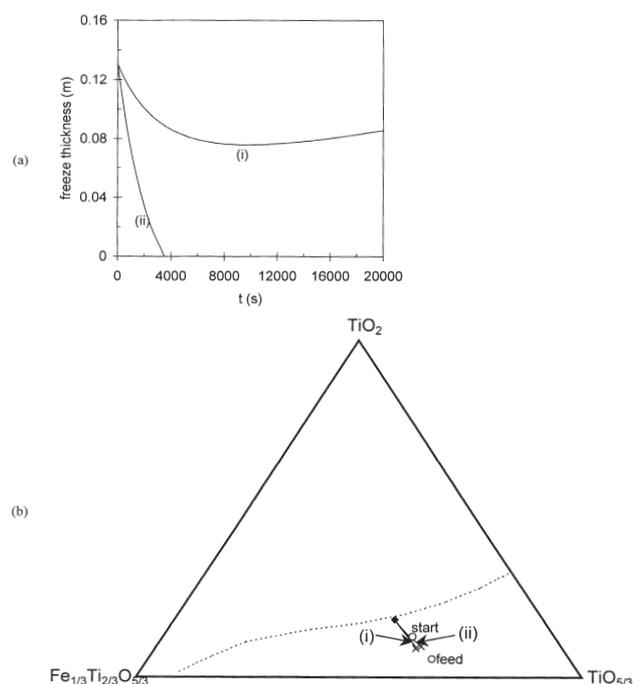
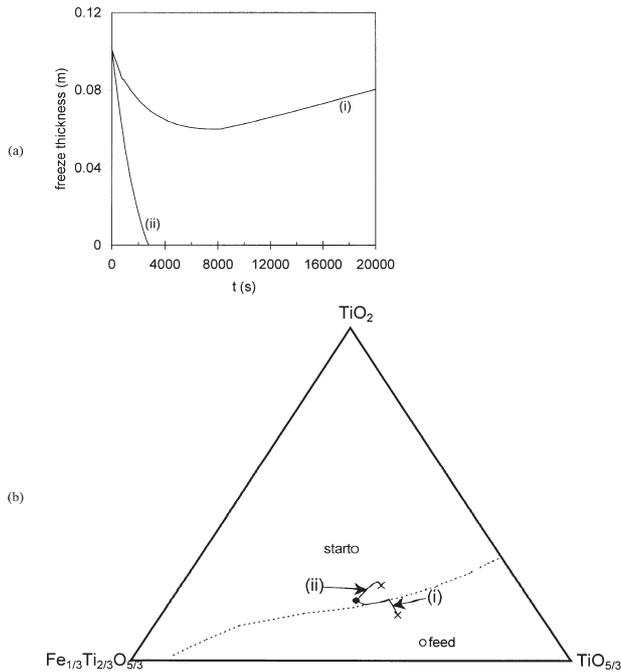


Figure 6—Effect of slag feeding and excess power on the liquid slag composition and freeze lining thickness, for the case where the freeze lining is pseudobrookite. Excess power: (i) zero, and (ii) 0.06 MW.

a) Change in freeze lining thickness, for the two levels of excess power. b) Change in the composition of the liquid slag, where the initial composition of the material in the furnace is  $X_{FeO} = 0.13$ ,  $X_{TiO_2} = 0.64$ ,  $X_{Ti_2O_3} = 0.23$  (indicated by the label 'start' in the figure), at 1 865 K, 0.1 m deep. Feed slag composition  $X_{FeO} = 0.13$ ,  $X_{TiO_2} = 0.6$ ,  $X_{Ti_2O_3} = 0.27$  (indicated by the label 'feed'), at 1 895 K. Feed rate: equivalent to 1.08 t/h of ilmenite; 1.06 MW. The diamond gives the initial composition of the liquid slag, the lines the changes in the liquid slag compositions, and the crosses the compositions at the end of the simulation period (20 000 s in case [i], 4 500 s in case [ii])

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**Figure 7.** Effect of slag feeding and excess power on the liquid slag composition and freeze lining thickness, for the case where the freeze lining is rutile. Excess power: (i) zero, and (ii) 0.06 MW.  
**a)** Change in freeze lining thickness, for the two levels of excess power.  
**b)** Change in the composition of the liquid slag, where the initial composition of the material in the furnace is  $X_{FeO} = 0.121$ ,  $X_{TiO_2} = 0.75$ ,  $X_{Ti_2O_3} = 0.129$  (indicated by the label 'starto' in the figure), at 1 860 K, 0.1 m deep. Feed slag composition  $X_{FeO} = 0.13$ ,  $X_{TiO_2} = 0.6$ ,  $X_{Ti_2O_3} = 0.27$  (indicated by the label 'feed'), at 1 895 K. Feed rate: equivalent to 1.08 t/h of ilmenite; 1.06 MW. The diamond gives the initial composition of the liquid slag, the lines the changes in the liquid slag compositions, and the crosses the compositions at the end of the simulation period (20 000 s in case [i], 3 300 s in case [ii])

## Conclusions

From this simple heat transfer model and slag solidification equilibria, it appears that the phase equilibrium between liquid slag and freeze lining cannot serve to constrain the liquid slag composition to the eutectic groove. (This conclusion is being tested with a more complete model.) The question remains what mechanism is responsible for the very consistent compositional relationship between the FeO and  $Ti_2O_3$  contents in titania slags. In previous work, it was shown that this relationship does not follow from the reaction equilibrium (between Fe, FeO,  $TiO_2$ , and  $Ti_2O_3$ )<sup>11</sup>; in the work presented here, it seems that it is not a result of the solidification equilibrium either. From the present work, it is clear that the composition of newly reduced slag which enters the slag bath plays a dominant role, and that this role is largely undiminished by interaction with the freeze lining.

The composition of the feed slag depends on the ratio of reductant to ilmenite, but also on the relative extents of reduction of FeO (to Fe), and of  $TiO_2$  (to  $Ti_2O_3$ ). The conclusion hence is that the inherent kinetics of these parallel reduction reactions is the likely origin of the observed slag composition relationship. Another factor is that compositional range where the slag is fully liquid is not large, at typical operating temperatures (Figure 2), with the result that liquid slag compositions cannot depart much from  $M_3O_5$  stoichiometry.

## Acknowledgement

I am grateful for useful discussions with Hanlie du Plooy and Johan Zietsman. The research was made possible by support by Kumba Resources, and the Technology and Human Resources for Industry Programme (THRIP) managed by the National Research Foundation (NRF) and financed by the DTI. This material is based on work supported by the National Research Foundation under grant number 2053355.

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